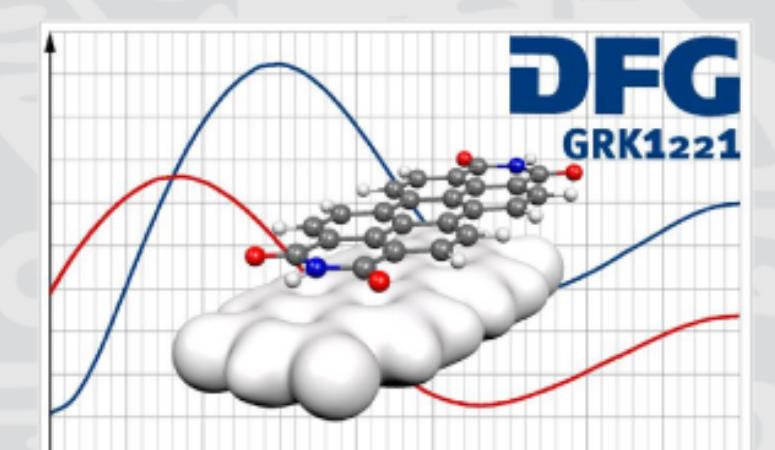
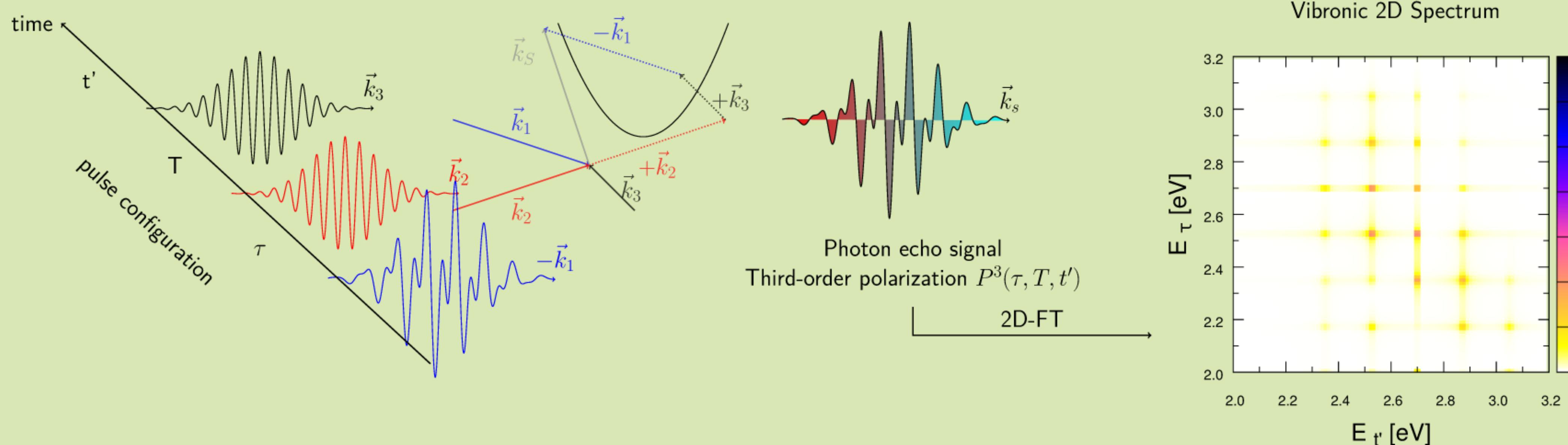


# Wave-packet approach to two-dimensional vibronic spectroscopy

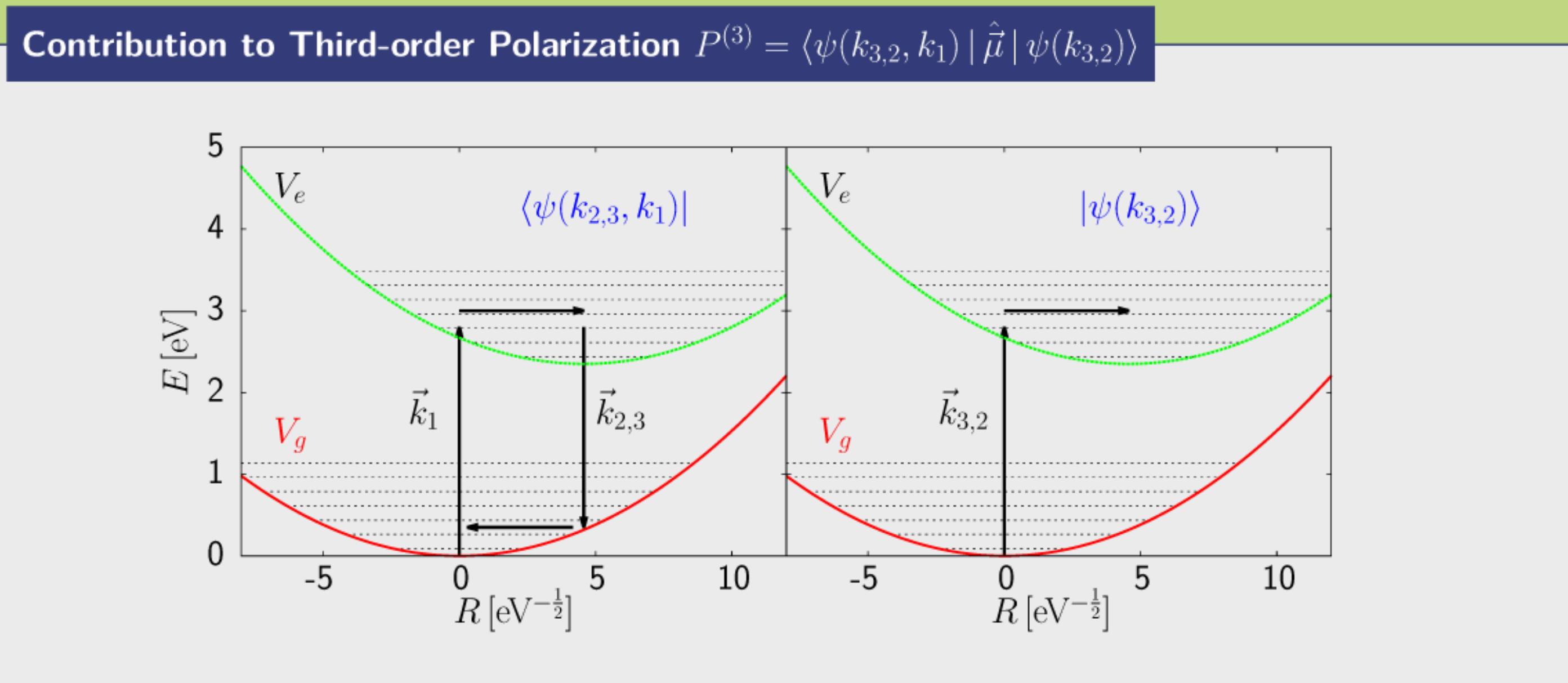
J. Albert, M. Falge, M. Keß, J. Wehner and V. Engel  
Julius-Maximilians-Universität Würzburg



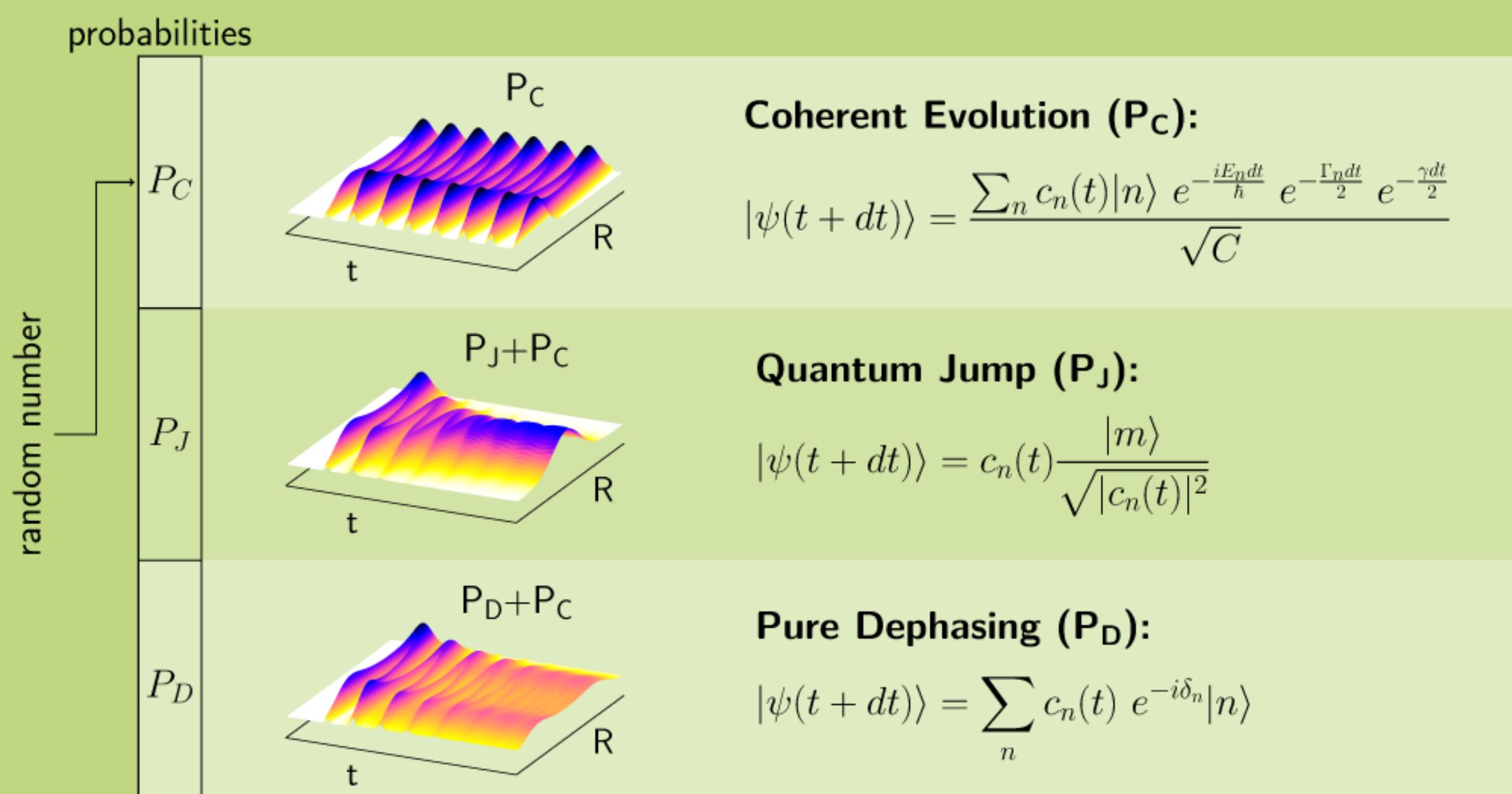
## Overview: Two-Dimensional (2D) vibronic Spectroscopy



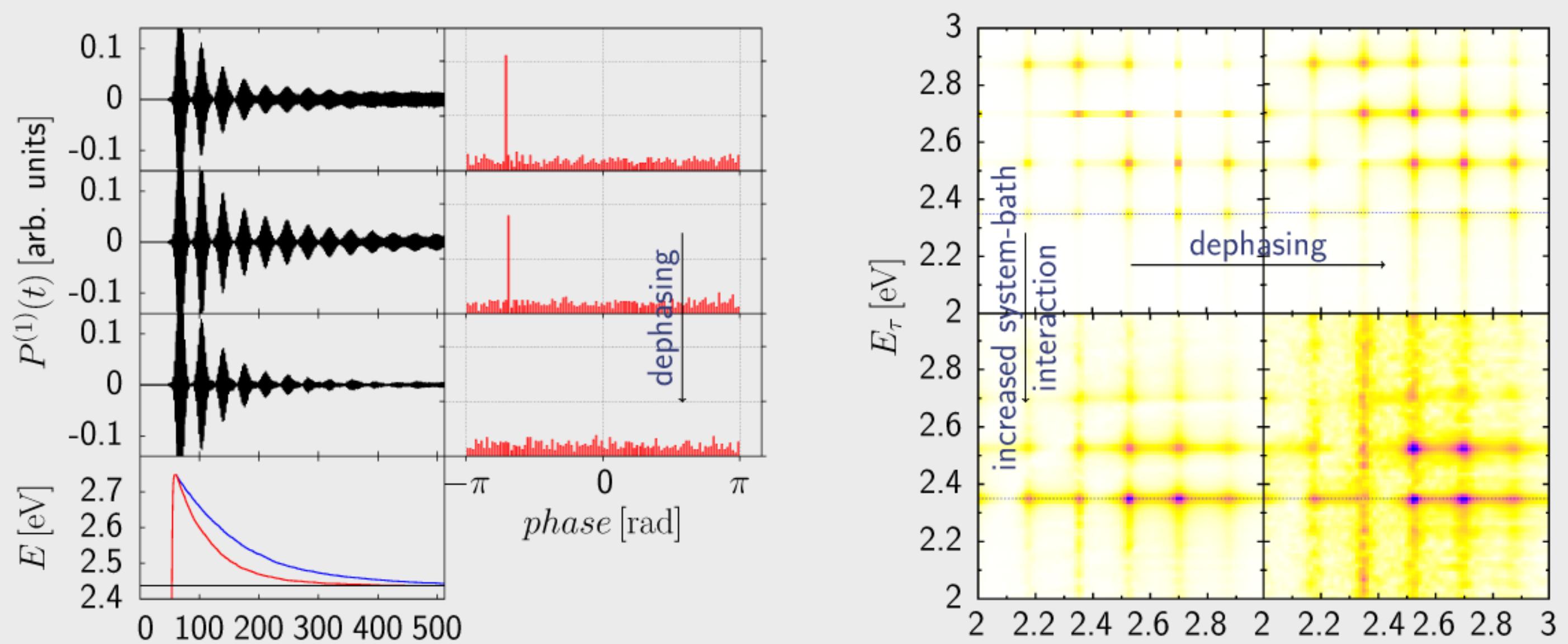
## Vibronic Model System (Monomer)



## Quantum Jump Approach



### Results: First-order polarization and 2D-spectra



- For stronger system-bath coupling the decay of polarization and mean energy occurs faster.
- For long times the fast oscillation survives and is characterized by the electronic excitation energy.
- Effect of pure dephasing completely destroys polarization.
- Pure dephasing does not alter the peak position.
- Dissipation occurs mainly in  $E_\tau$ -direction
- Coupling and pure dephasing cause decay and peak broadening of 2D signals.

## Acknowledgement >> References

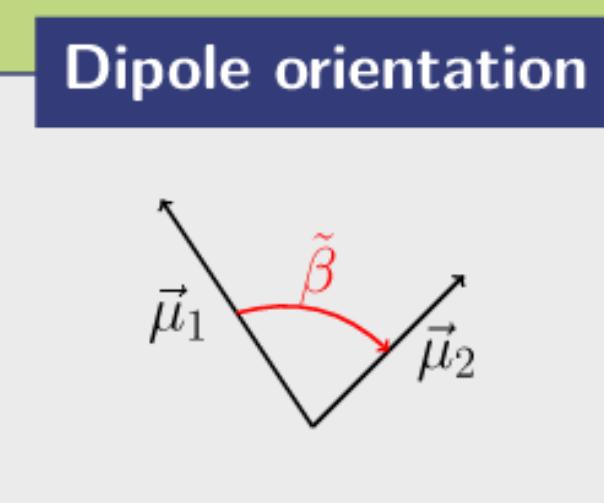
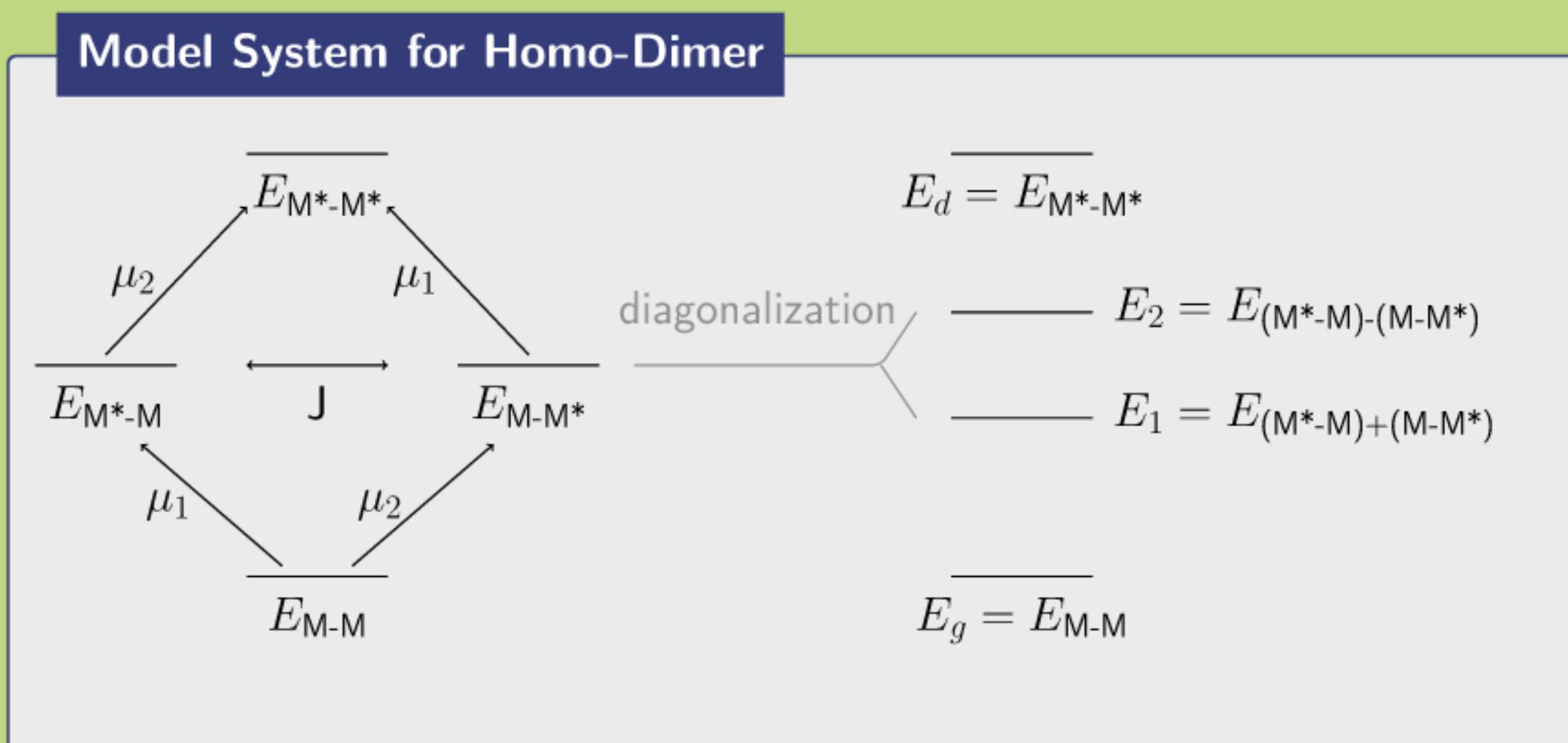
We acknowledge financial support by the DFG within the GRK1221 and FOR 1809.

J. Albert, M. Falge, M. Keß, J. Wehner, V. Engel *J. Chem. Phys.* (special issue on "Multidimensional Spectroscopy", invited)

E. D. Makarov, H. Metiu *J. Chem. Phys.*, 1999 (111), 10126

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## Homo- & Hetero-Dimer 2D-Spectra



## Calculation of Third-Order Polarization

$$\langle \psi(k_2, k_1) | \hat{\mu} | \psi(k_3) \rangle_{(\downarrow\uparrow|\hat{\mu}|\uparrow\uparrow)} = \frac{1}{(1+\eta^2)^2} \left[ a^2 e^{-it'(E_1-E_g)} e^{-i\tau(E_g-E_1)} + ab e^{-it'(E_1-E_g)} e^{-i\tau(E_g-E_2)} + ba e^{-it'(E_2-E_g)} e^{-i\tau(E_g-E_1)} + b^2 e^{-it'(E_2-E_g)} e^{-i\tau(E_g-E_2)} \right]$$

$$\langle \psi(k_1) | \hat{\mu} | \psi(k_2, k_3) \rangle_{(\uparrow\downarrow|\hat{\mu}|\uparrow\uparrow)} = \frac{1}{1+\eta^2} \left[ c e^{-it'(E_d-E_1)} e^{-i\tau(E_g-E_1)} + d e^{-it'(E_d-E_2)} e^{-i\tau(E_g-E_2)} \right]$$

### Average over all orientations

$$\tilde{a}^2 = \frac{1}{5} (\mu_2^2 + \mu_1^2 \eta^2 - 2\mu_1 \mu_2 \eta \cos \tilde{\beta})^2$$

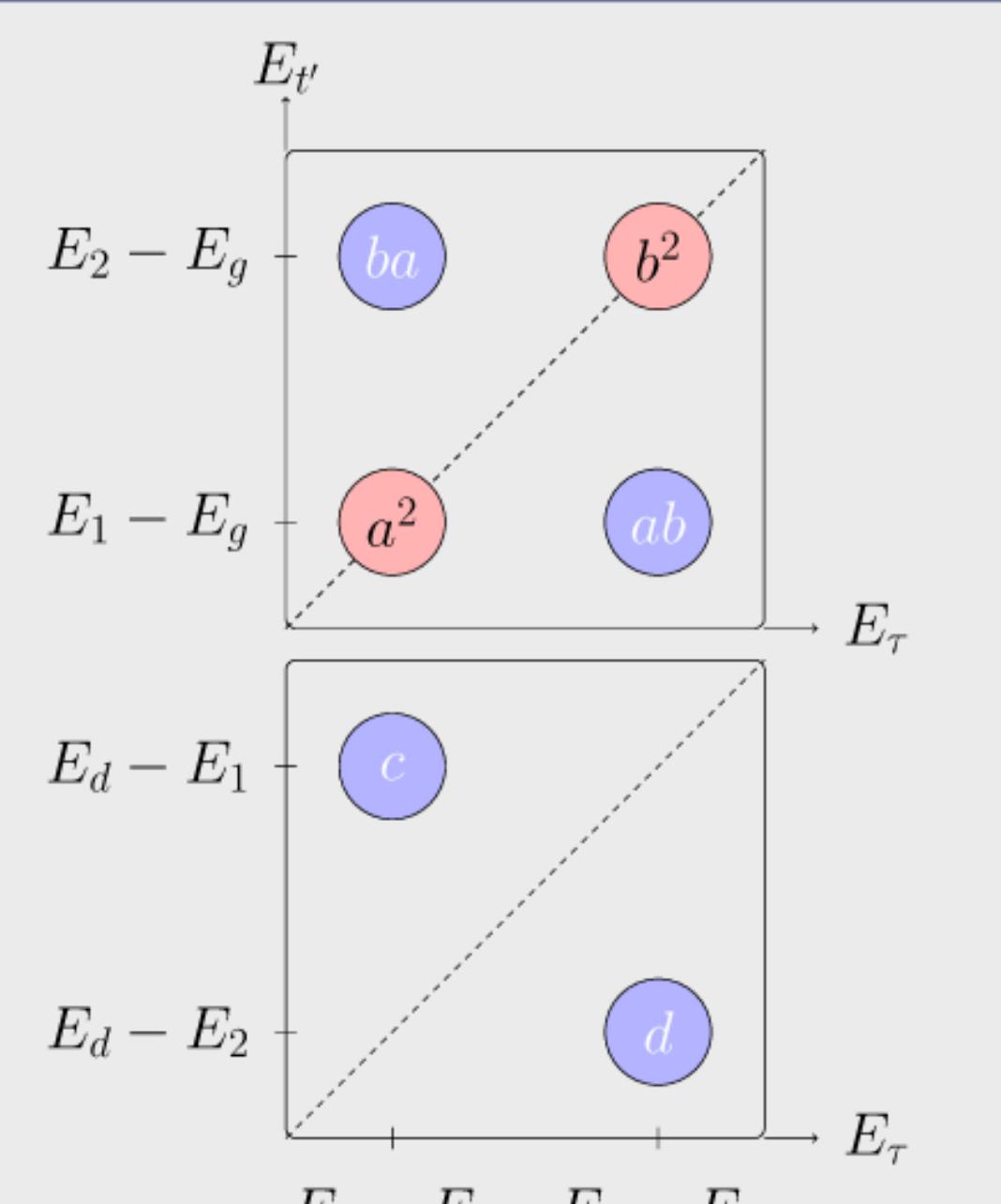
$$\tilde{ab} = \frac{1}{15} (3\mu_1^4 \eta^2 + 3\mu_2^4 + \mu_1^2 \mu_2^2 (1 - 4\eta^2 + \eta^4) (2 + \cos 2\tilde{\beta}) + 6\mu_1 \mu_2 (\mu_1^2 - \mu_2^2) (\eta^3 - \eta) \cos \tilde{\beta})$$

$$\tilde{b}^2 = \frac{1}{5} (\mu_1^2 + \mu_2^2 \eta^2 + 2\mu_1 \mu_2 \eta \cos \tilde{\beta})^2$$

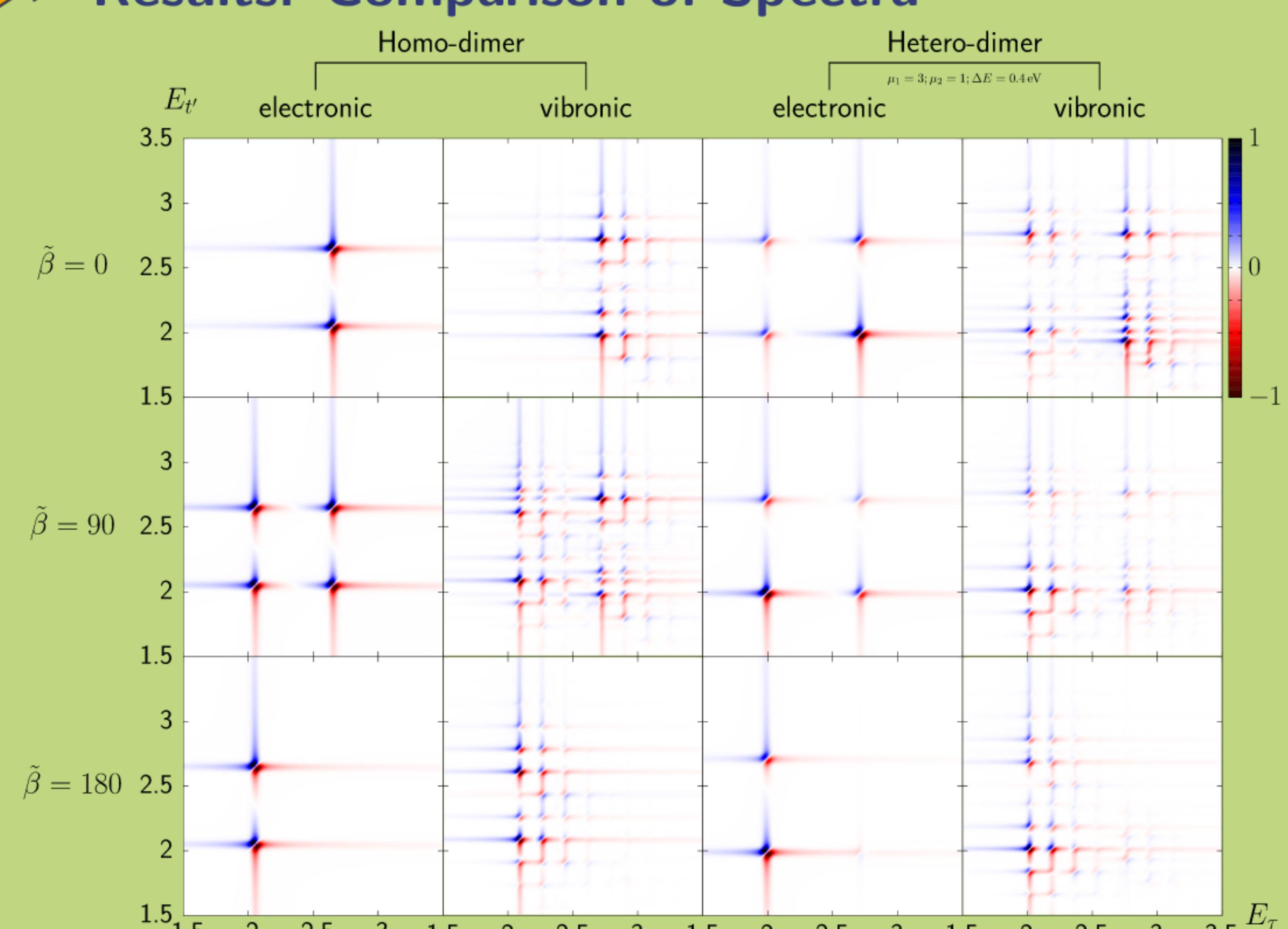
$$\tilde{c} = \frac{2}{15} \mu_1 \mu_2 (-3(\mu_1^2 + \mu_2^2) \eta \cos \tilde{\beta} + \mu_1 \mu_2 (1 + \eta^2) (2 + \cos 2\tilde{\beta}))$$

$$\tilde{d} = \frac{2}{15} \mu_1 \mu_2 (3(\mu_1^2 + \mu_2^2) \eta \cos \tilde{\beta} + \mu_1 \mu_2 (1 + \eta^2) (2 + \cos 2\tilde{\beta}))$$

Homo-dimer:  $\eta = 1; \mu_1 = \mu_2$



## Results: Comparison of Spectra



Symmetry breaking leads to richer spectra for Hetero-dimer